

Site https://phontron.com/class/anlp2021/

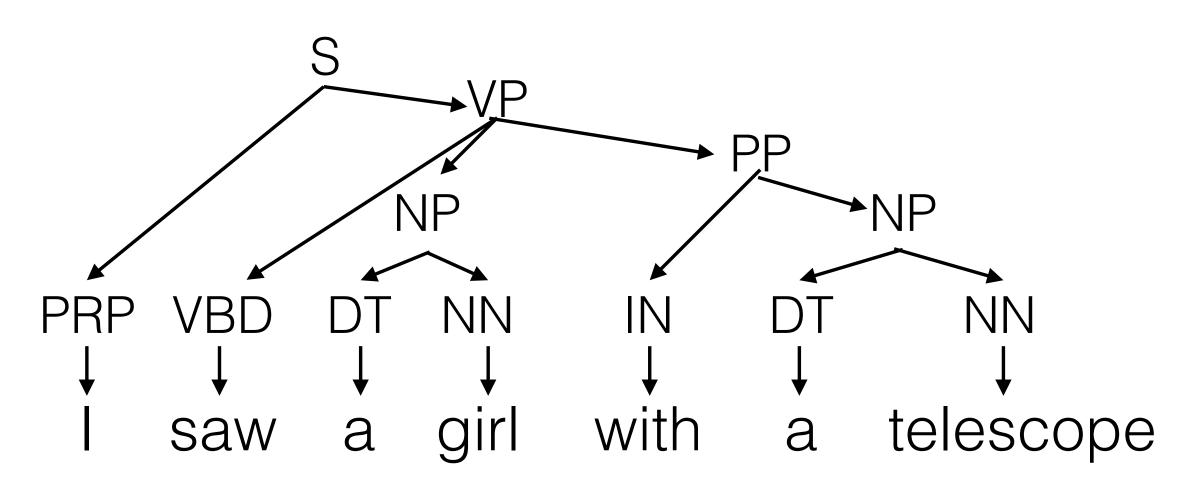
CS11-711 Advanced NLP

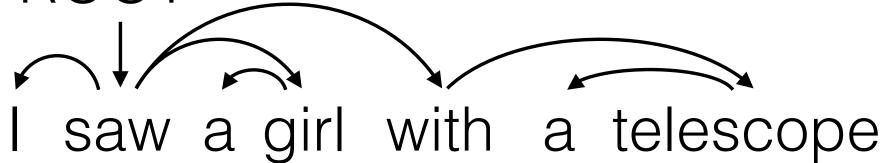
PCFG Parsing

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Two Types of Linguistic Structure **Dependency:** focus on relations between words ROOT





• **Phrase structure:** focus on the structure of the sentence

Grammar Induction (Unsupervised Parsing) Learning a set of (probabilistic) grammar rules



Typical grammar induction methods unsupervised constituency and dependency parsing

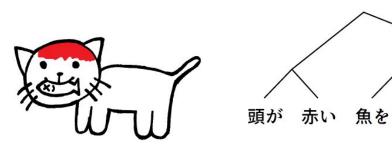
watching a model train

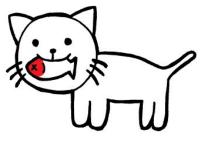


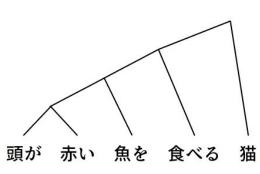
watching a model train



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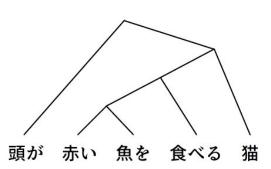














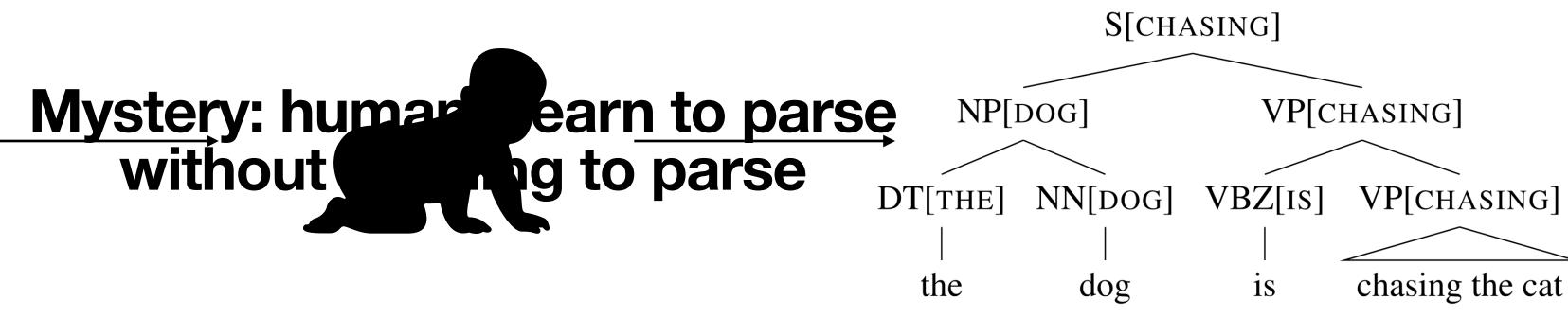


Probabilistic parsing

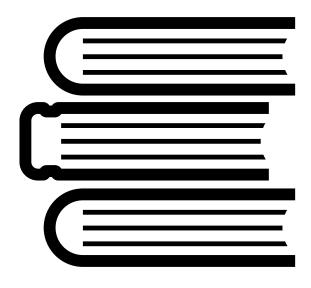
- Better: every rule has a weight.
 - A tree's weight is total weight of all its rules.
 - Pick the overall lightest parse of sentence.
- Best: train the weights!

• First try parsing without any weird rules, throwing them in only if needed.











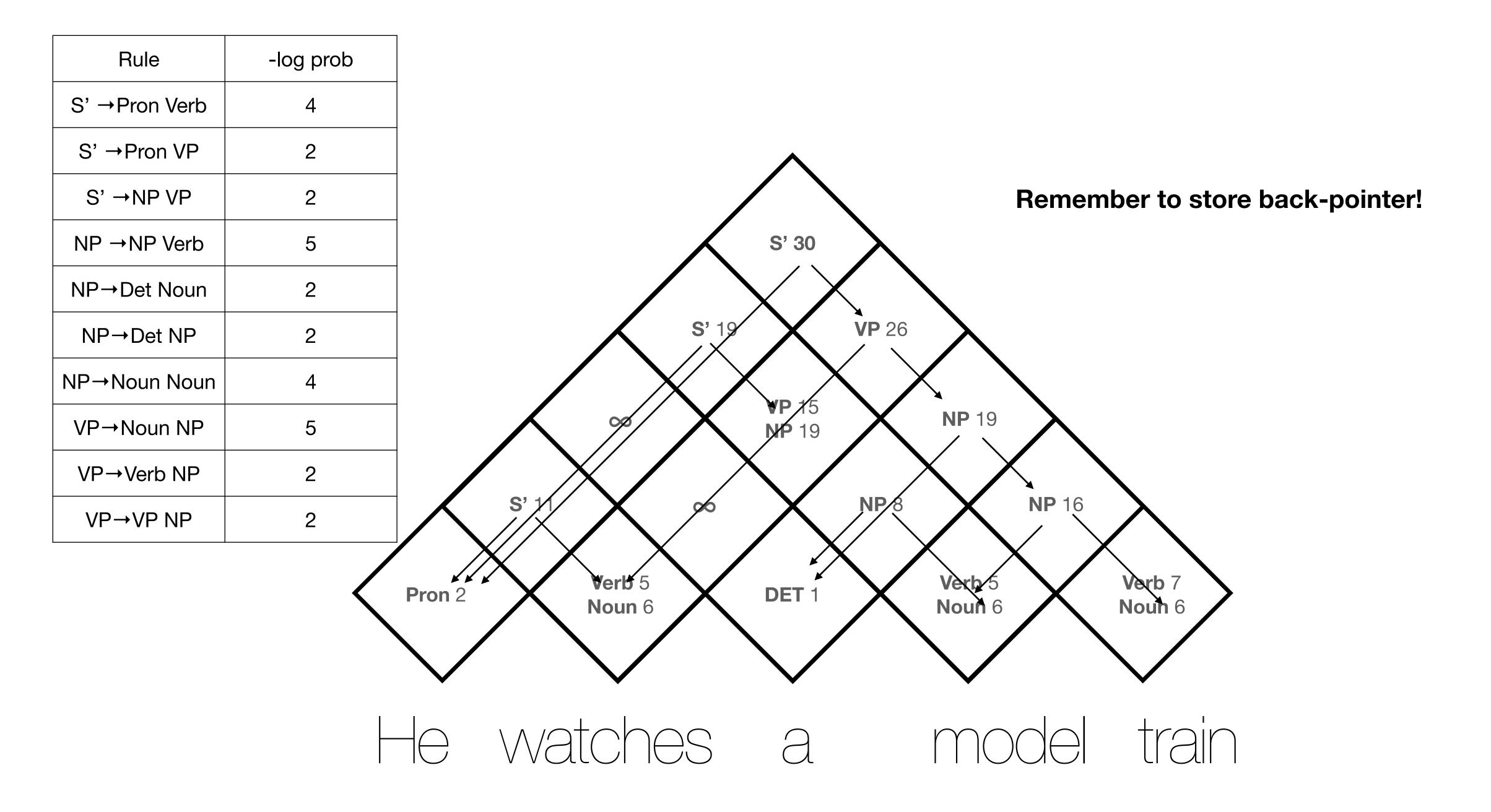
CFG definition

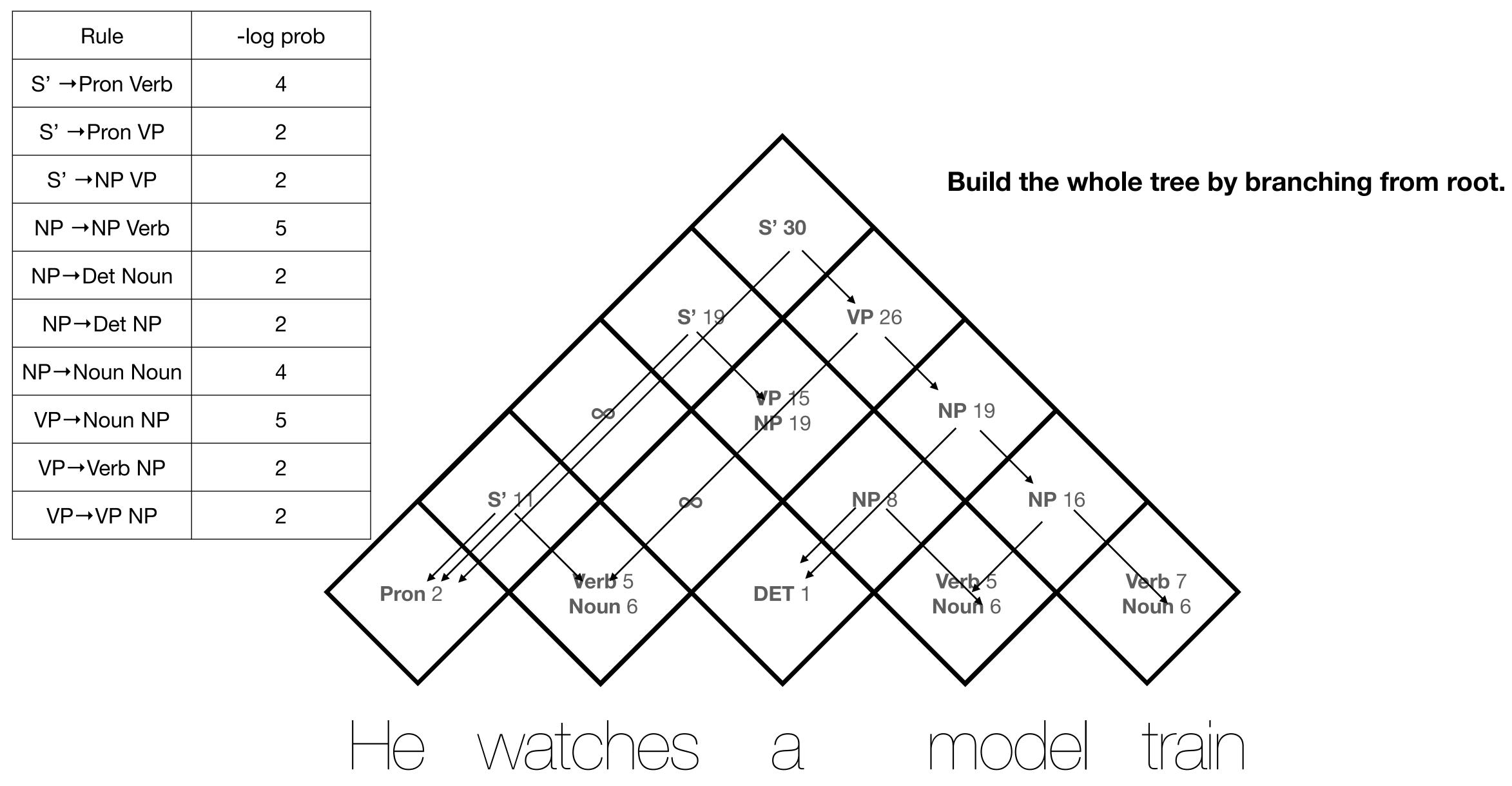
- $\mathcal{G} = (S, \mathcal{N}, \mathcal{P}, \Sigma, \mathcal{R})$
- \mathcal{N} : Set of nonterminals (constituent labels)
- \mathscr{P} : Set of preterminals (part-of-speech/tags)
- S: Start symbol $T \to \alpha, \qquad T \in \mathcal{P}$
- \mathscr{R} : Set of rules

WLOG, only consider binary branching; Chomsky Normal Form • Σ : Set of terminals (words) $\begin{array}{c} S \to A, \ A \in \mathcal{N} \\ A \to BC, \ A \in \mathcal{N}, B, C \in \mathcal{N} \cup \mathcal{P} \end{array}$

Probabilistic CFGs

- For every rule, assign a probability to it.
- The summation of the probabilities of the rules with the same left hand non-terminal X is 1: $\sum_{Y} \pi(X \to Y) = 1$
- How to get the most probable tree given the probabilities of the rules?
 - Does greedy work?
 - What do you need to store?
 - Span? Left-hand non-terminals? Right-hand non-terminals?





CYK algorithm

- The probability of a constituent with a non-terminal is often called inside probability
 - $\beta_A(x, y) = \min(-\log \pi(A \rightarrow BC) + \beta_B(x, k) + \beta_C(k + 1, y))$ k.B.C
 - Complexity?

CYK algorithm

sentence through

$$\beta_A(x, y) = -\log \sum_{k, B, C} exp(\log \pi (A + B))$$

- What else can it do?
- A general form?

We can use the same CKY algorithm to calculate the marginal probability of a

$(A \rightarrow BC) - \beta_B(x, k) - \beta_C(k+1, y))$

• Recognizer: $\beta_A(x, y) = \bigvee_{k, B, C} (A \to BC) \in \mathscr{R} \land \beta_B(x, k) \land \beta_C(k+1, y)$

CYK algorithm

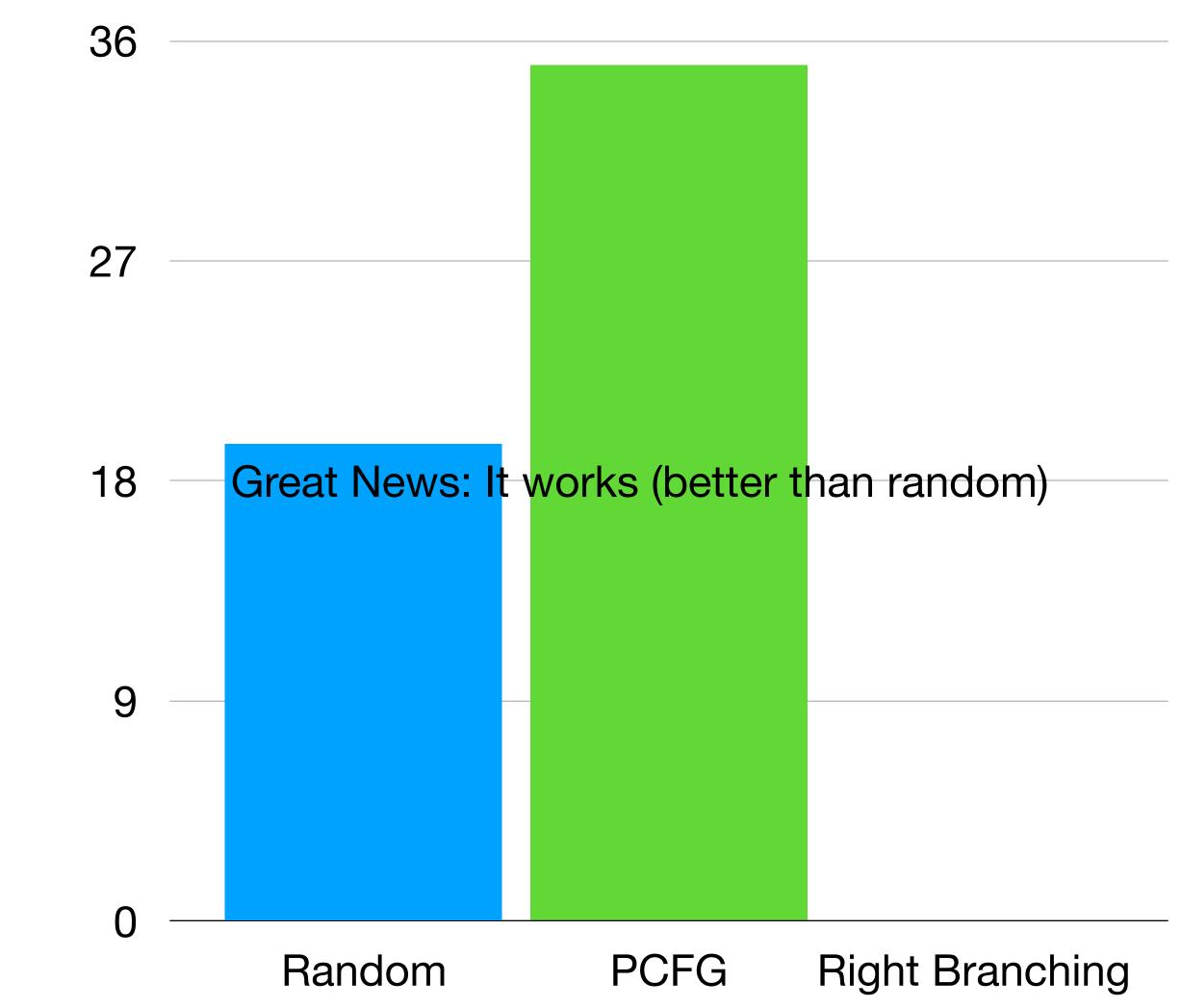
- Semiring Parsing
- Or rig (ring)

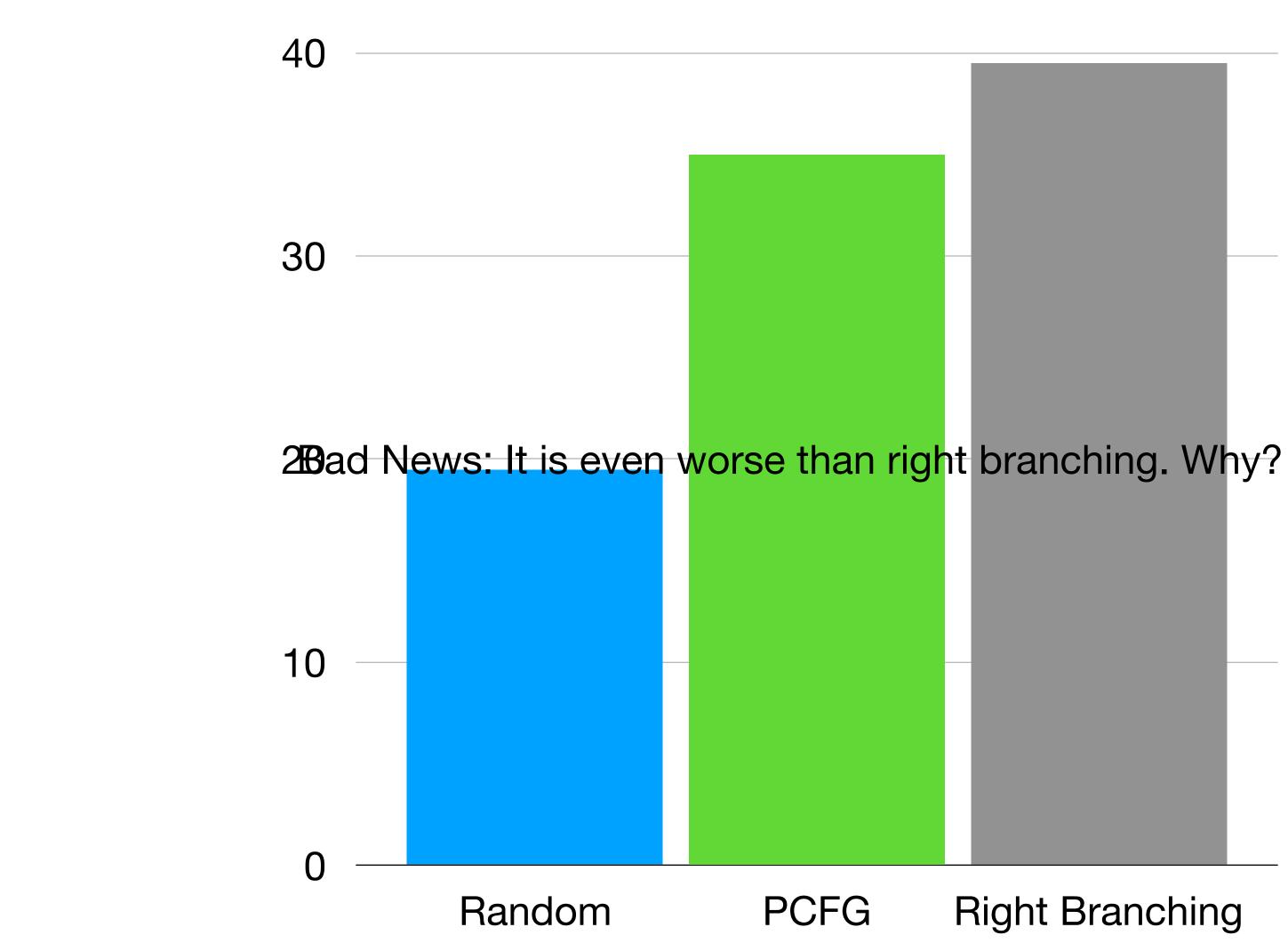
	weights	\oplus	\bigotimes	0	1
total prob	[0, 1]	+	X	0	1
max prob	[0, 1]	max	X	0	1
min -logp	[0, ∞]	min	Ŧ	8	0
log prob $[-\infty, 0]$ logs		logsumexp	Ŧ	-∞	0
recognizer	T/F	or	and	F	Τ

Optimizing PCFGs

- Traditional methods: inside-outside algorithm
- Good news: You can directly optimize the log prob calculated by CKY with autograd with the same effect and time complexity.
 - Optional reading: Inside-Outside and Forward-Backward Algorithms Are Just Backprop
- Similar to language models, we optimize the log probability of the sentence:

•
$$\mathscr{L} = -\log \sum_{T_x} p(T_x)$$





Neural PCFGs

Neural parameterization for PCFGs

$$\pi_{T \to w} = \text{NEURALNET}(\mathbf{w}_T) = \frac{\exp(\mathbf{u}_w^\top f(\mathbf{w}_T))}{\sum_{w' \in \Sigma} \exp(\mathbf{u}_{w'}^\top f(\mathbf{w}_T))}$$

$$\pi_{T \to w} \propto \exp\left($$

- same training method •
- Where's the magic?

shared neural net



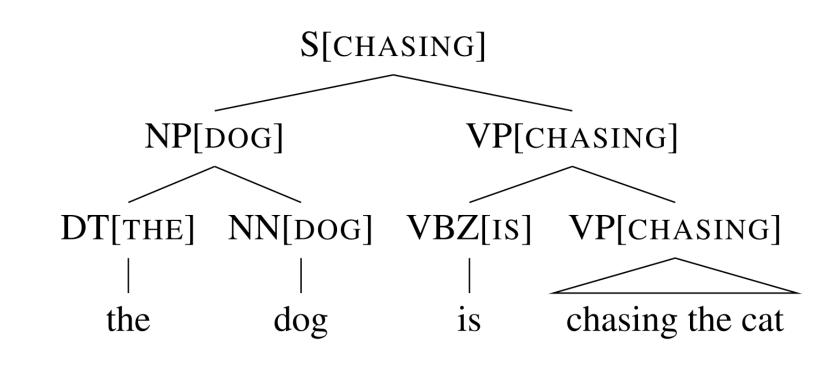
 $\mathbf{u}_w^{\scriptscriptstyle +}$

output emb.

input emb.

Neural L-PCFGs

You can further improve Neural PCFGs by adding head annotations



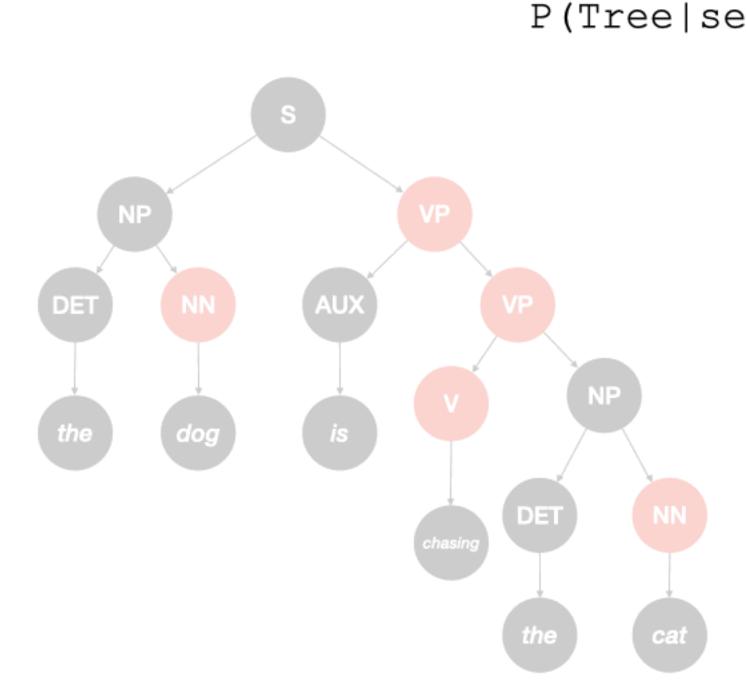
 $S \to A, \qquad A \in \mathcal{N}$ $A \to BC, \quad A \in \mathcal{N}, B, C \in \mathcal{N} \cup \mathcal{P}$ $T \to \alpha, \qquad T \in \mathcal{P}$

$$\begin{array}{ccc} 1 & S \to A[\alpha], & A \in \mathcal{N} \\ \hline 2 & A[\alpha] \to B[\alpha]C[\beta], & A \in \mathcal{N}, B, C \in \mathcal{N} \cup \mathcal{P} \\ \hline 2 & A[\alpha] \to B[\beta]C[\alpha], & A \in \mathcal{N}, B, C \in \mathcal{N} \cup \mathcal{P} \\ \hline 3 & T[\alpha] \to \alpha, & T \in \mathcal{P} \end{array}$$

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Neural L-PCFGs

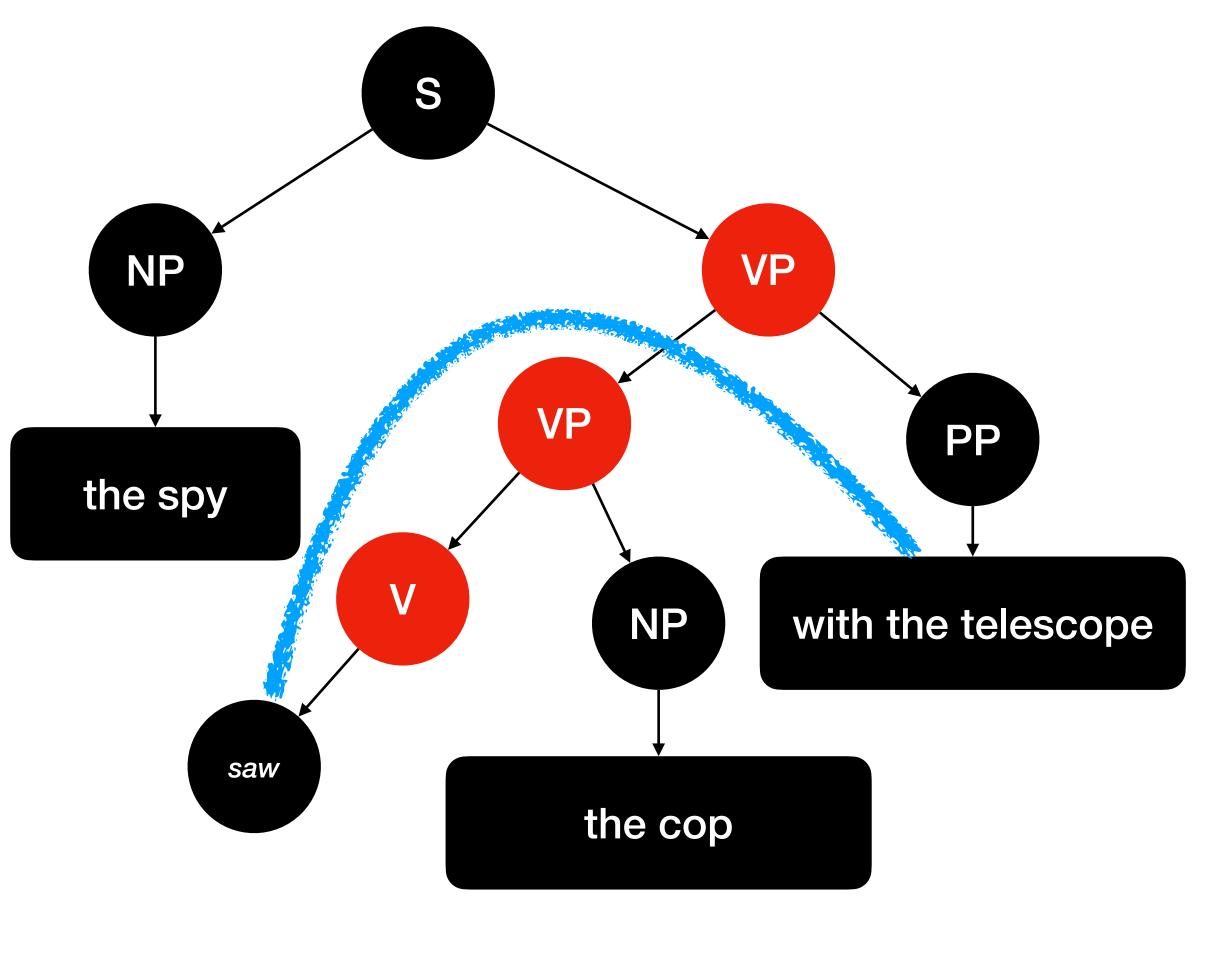
PCFGs

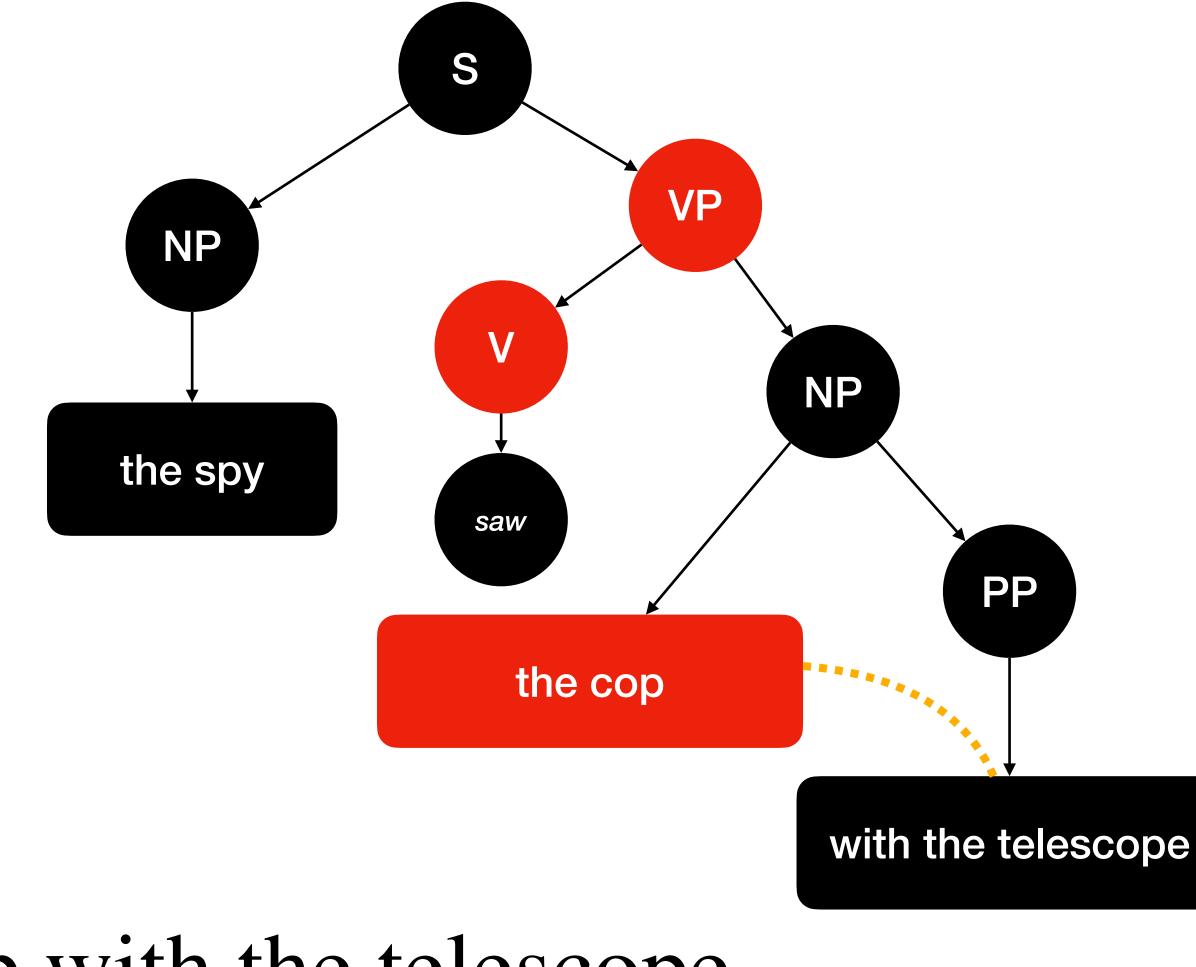


L-PCFGs did not work well because they have even MORE parameters than

P(Tree|sentence)

Limitation of lexical dependencies Independent head word and argument word

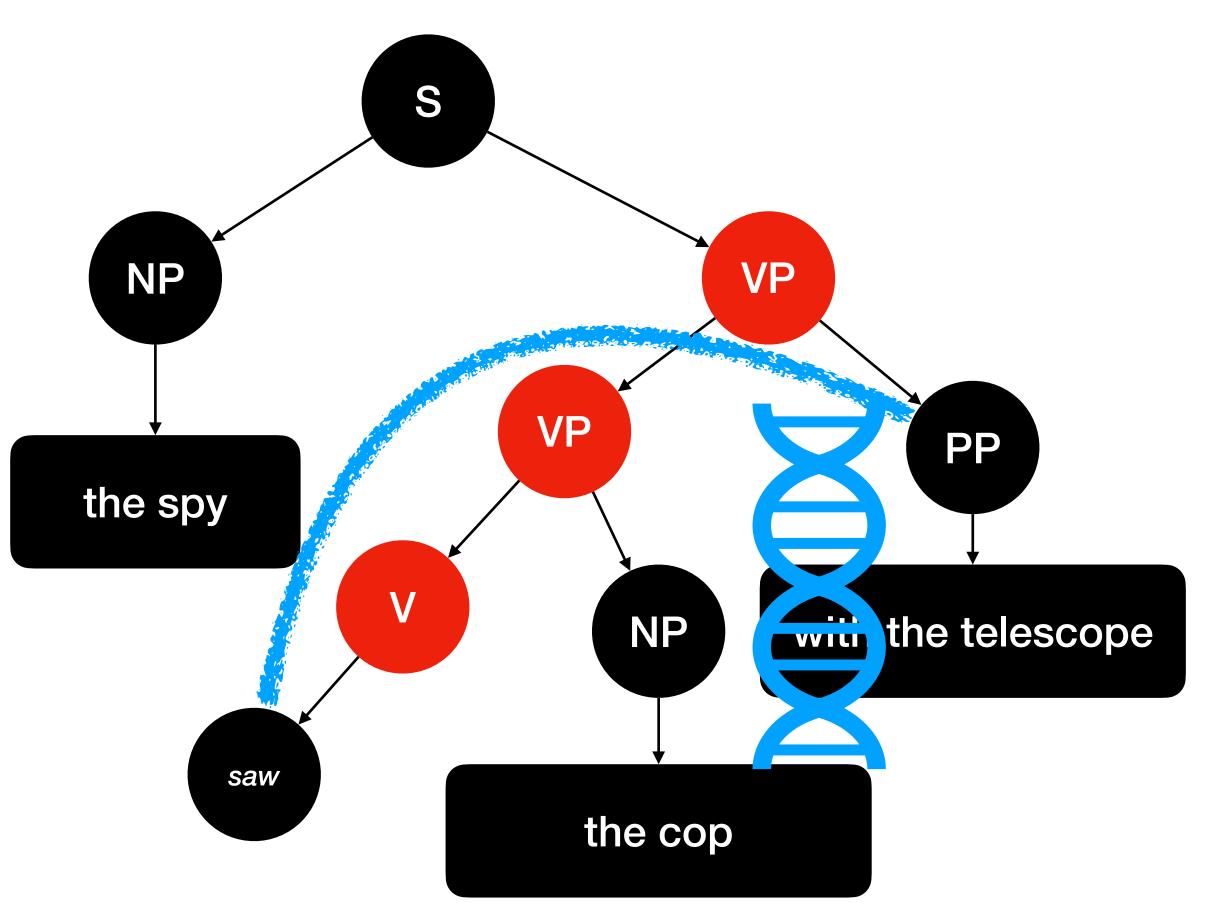




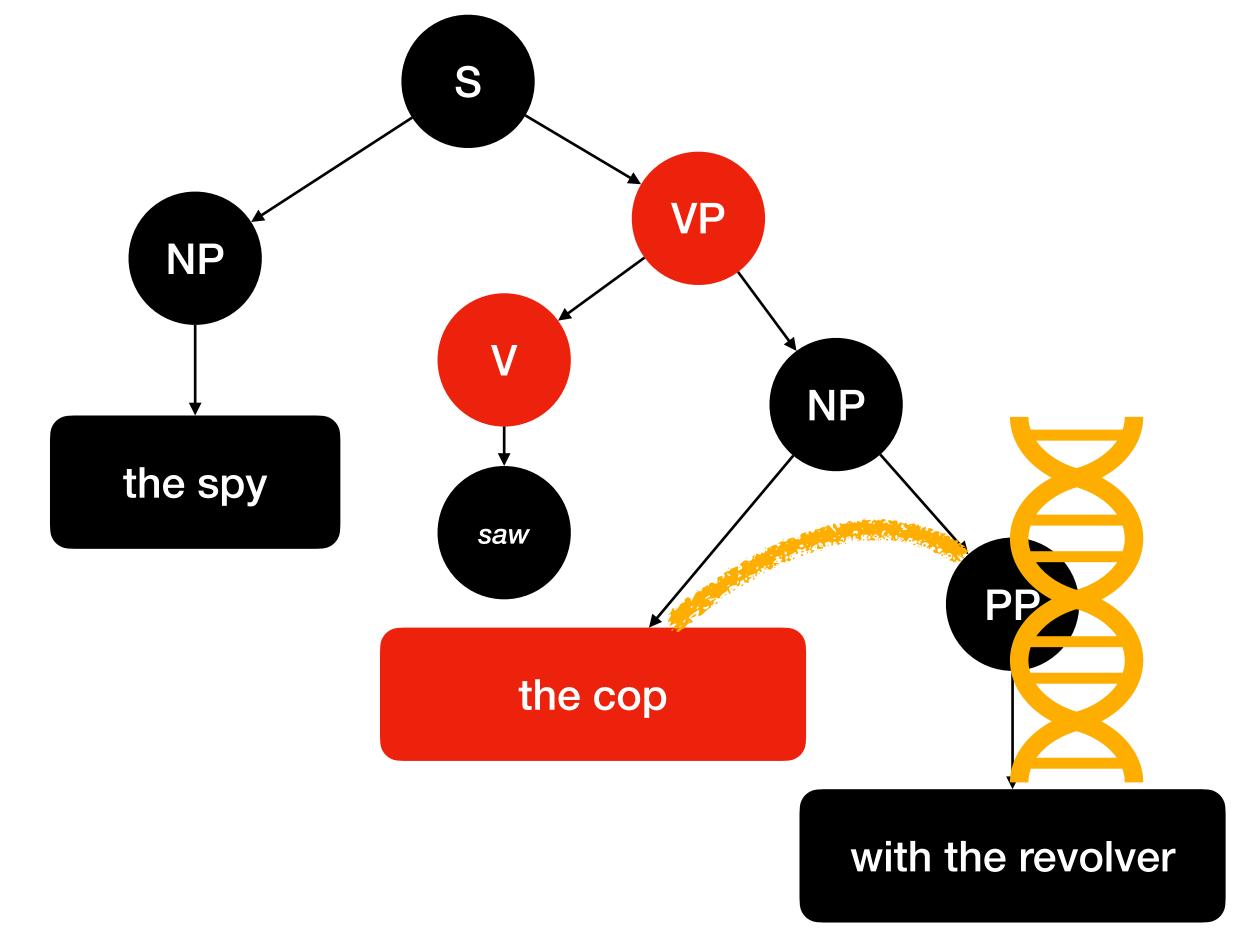
The spy saw the cop, with the telescope.



Using a latent compound variable **Conditional independency**



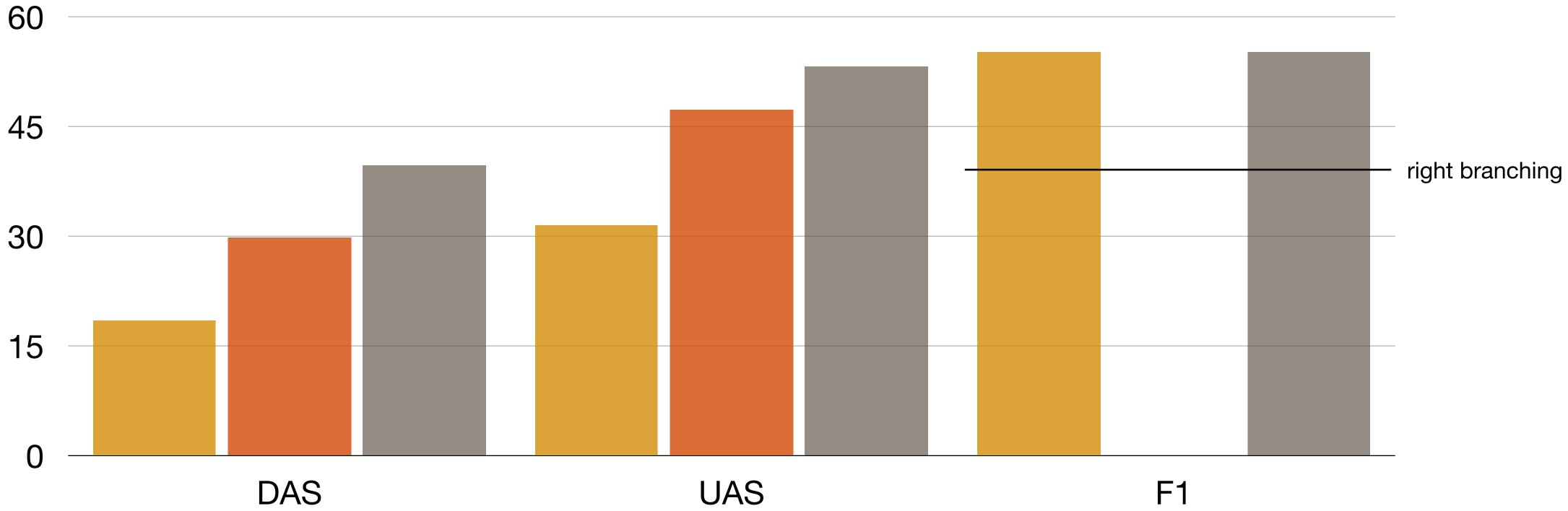
The spy saw the cop with the telescope., The spy saw the cop with the revolver.











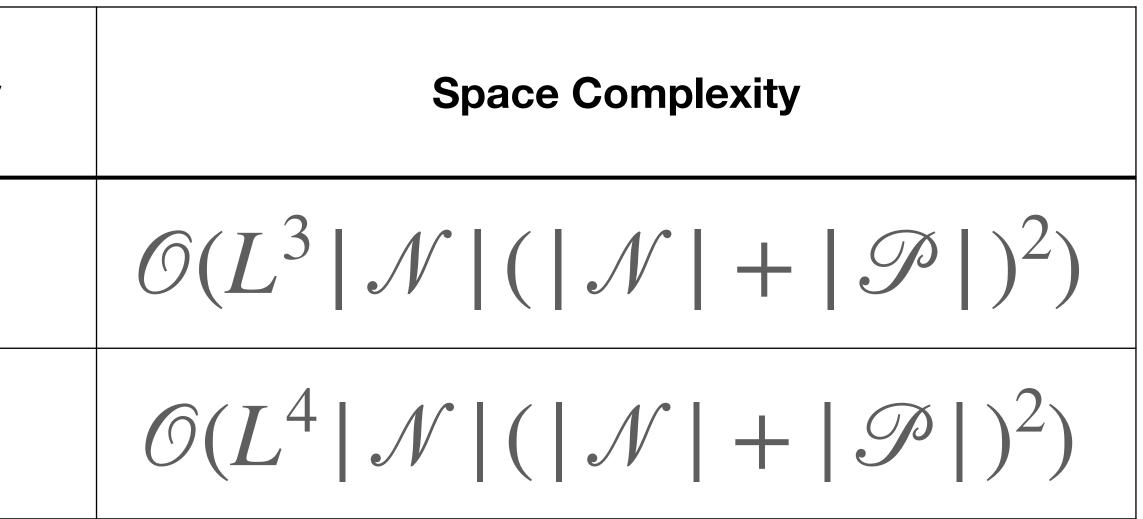
DMV Neural L-PCFGs

Limitations

• Efficient Bilexical dependency (table assumes enough parallel workers)

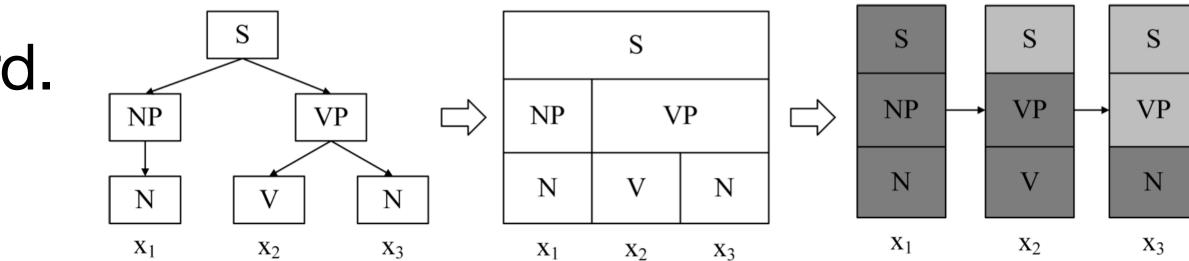
	Time complexity
Unilexical dependencies	$\mathcal{O}(L)$
Bilexical Dependencies	O(L)

• Neural Bi-Lexicalized PCFG Induction.



Correct bias? Case study: ordered neuron

- By cumax and calculating the expected forget height of each word.
- Each word has a weight, which determines whether to break the constituent.



 $\hat{g} = \operatorname{cumax}(\ldots) = \operatorname{cumsum}(\operatorname{softmax}(\ldots))_{1}$

$$\tilde{f}_t = \operatorname{cumax}(W_{\tilde{f}}x_t + U_{\tilde{f}}h_{t-1} + b_{\tilde{f}})$$
$$\tilde{i}_t = 1 - \operatorname{cumax}(W_{\tilde{i}}x_t + U_{\tilde{i}}h_{t-1} + b_{\tilde{i}})$$

Correct bias? Case study: ordered neuron

• Notice any problem?

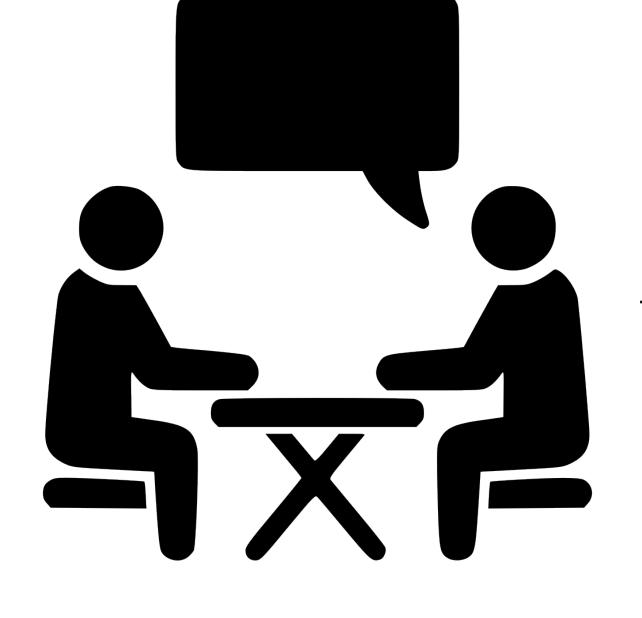
- Hint: what kind of phrase LEFT structure it cannot represent?
- Why does it work?

Premises $\overline{[1,n]}$

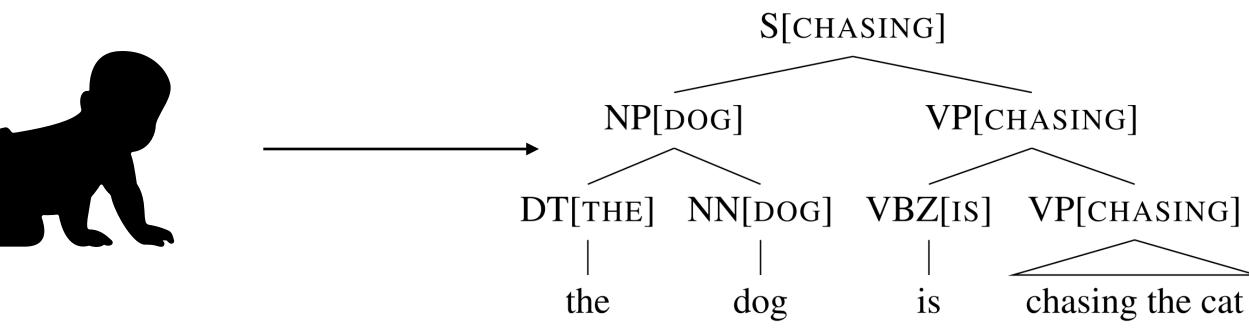
Inference rules

 $\frac{[i,j]}{[i,i]\;[j,j]} \quad j-i=1$ BINARY $\frac{[i,j]}{[i,i] [i+1,j]} \quad j-i > 1 \land i = \arg \max_{\ell \in [i,j]} s_{\ell}$ $\frac{[i,j]}{[i,j-1]\;[j,j]} \quad j-i>1 \wedge j = \arg\max_{\ell \in [i,j]} s_\ell$ RIGHT $\frac{[i,j]}{[i,k-1][k,j]} \quad j-i > 1 \land k = \arg \max_{\ell \in [i,j]} s_{\ell} \land k \in [i+1,j-1]$ MIDDLE $[i,i] \quad \forall i \in [1,n]$ Goals





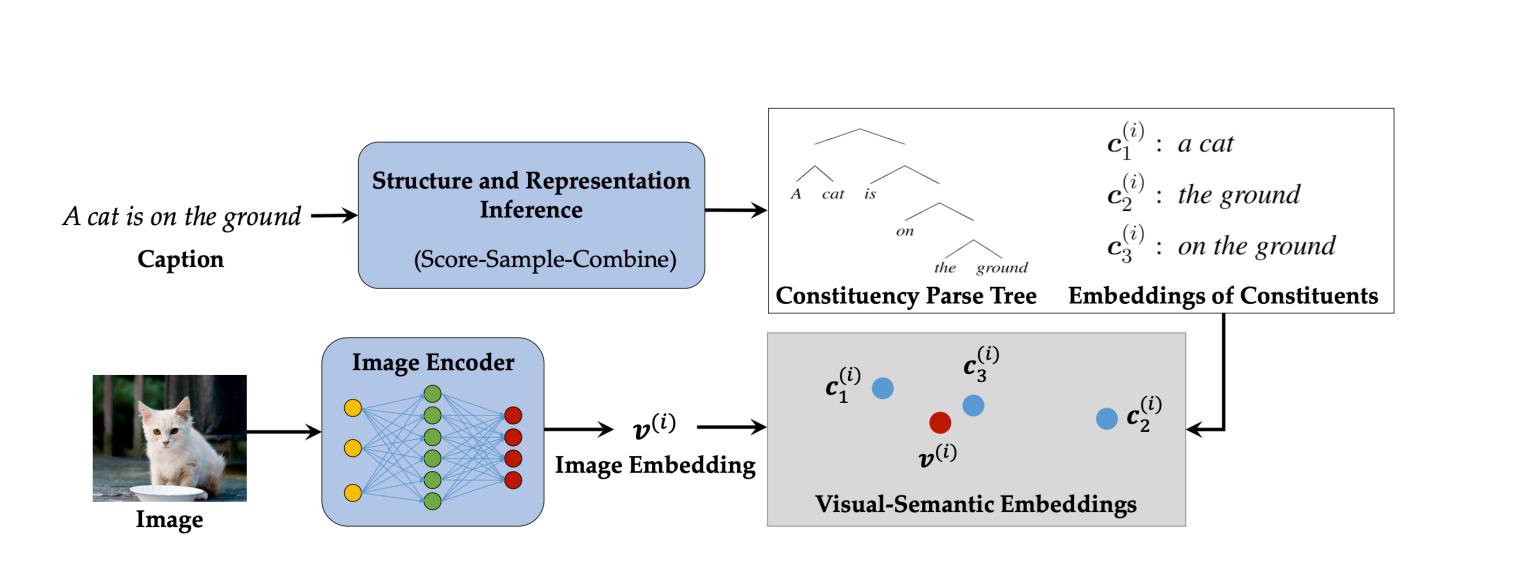
Key to the mystery: visual prior?

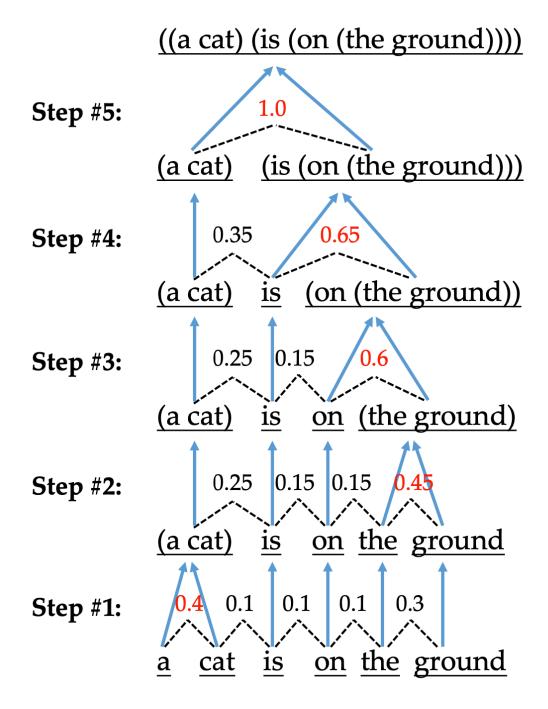




Visual Prior Grammar Induction

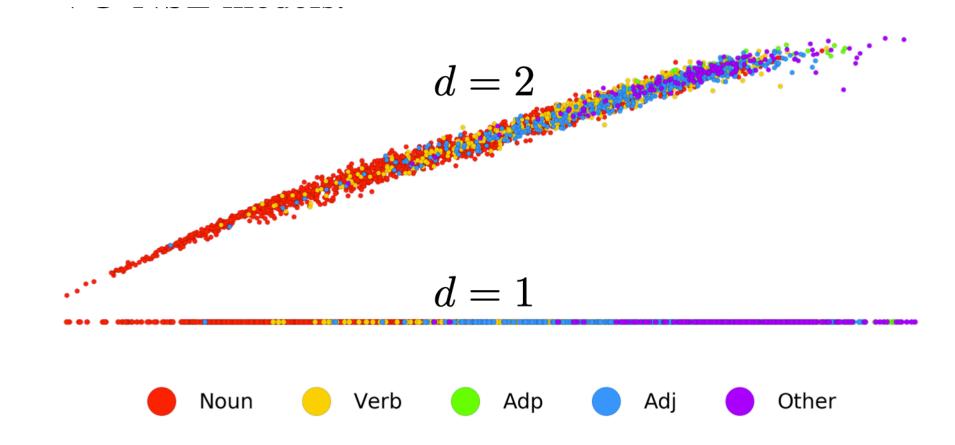
Visual grounded neural syntax acquisition





Visual Prior Grammar Induction

- Visual grounded neural syntax acquisition
 - Similar results even if the dimension of embeddings get shrunk to 1 or 2.
 - embeddings mainly capture POS tags
 - concreteness?



Model	NP	VP	PP	ADJP	Avg. F_1
Shi2019	79.6	26.2	42.0	22.0	50.4 ± 0.3
Shi2019*	80.5	26.9	45.0	21.3	51.4 ± 1.1
$1, \mathrm{s_{WS}}, \mathrm{c_{ME}}$	77.2	17.0	53.4	18.2	49.7 ± 5.9
$2, s_{\rm WS}, c_{\rm ME}$	80.8	19.1	52.3	17.1	51.6 ± 0.6
+HI					
Shi2019	74.6	32.5	66.5	21.7	53.3 ± 0.2
Shi2019*	73.1	33.9	64.5	22.5	51.8 ± 0.3
$1, \mathrm{s_{WS}}, \mathrm{c_{ME}}$	74.0	35.2	62.0	24.2	51.8 ± 0.4
$2, \mathrm{s_{WS}}, \mathrm{c_{ME}}$	73.8	30.2	63.7	21.9	51.3 ± 0.1
+HI+FastText					
Shi2019	78.8	24.4	65.6	22.0	54.4 ± 0.3
Shi2019*	77.3	23.9	64.3	21.9	53.3 ± 0.1
$1, \mathrm{s_{WS}}, \mathrm{c_{ME}}$	76.6	21.9	68.7	20.6	53.5 ± 1.4
$2, \mathrm{s_{WS}}, \mathrm{c_{ME}}$	77.5	22.8	66.3	19.3	53.6 ± 0.2
+HI+FastText-IN					
Shi2019*	78.3	26.6	67.5	22.1	54.9 ± 0.1
$1, \mathrm{s_M}, \mathrm{c_{MX}}$	79.6	29.0	38.3	23.5	49.7 ± 0.2
$1, \mathrm{s_{MHI}}, \mathrm{c_{MX}}$	77.6	45.0	72.3	24.3	57.5 ± 0.1
$1, \mathrm{s_M}, \mathrm{c_{ME}}$	80.0	26.9	62.2	23.2	54.3 ± 0.2
$1, \mathrm{s_{MHI}}, \mathrm{c_{ME}}$	76.5	20.5	63.6	22.7	52.2 ± 0.3
$1, \mathrm{s_{WS}}, \mathrm{c_{ME}}$	77.7	26.3		22.0	55.5 ± 0.1
$2, \mathrm{s_{WS}}, \mathrm{c_{ME}}$	78.5	26.3	69.5	21.1	55.2 ± 0.1

Visual Prior Grammar Induction

- Recommend readings
 - Visually Grounded Compound PCFGs.
 - Dependency Induction Through the Lens of Visual Perception

References

- https://nlp.stanford.edu/seminar/details/yoonkim.pdf
- https://www.cs.jhu.edu/~jason/465/

